

PUBLICATIONS - JOEL HASS

MINIMAL SURFACES AND DIFFERENTIAL GEOMETRY

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20. J. Hass and F. Morgan, *Geodesic nets on the 2-sphere*, Proc. Amer. Math. Soc. 124 (1996) 3843-3850.
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25. J. Hass, *General Double Bubble Conjecture in R^3 solved*, MAA FOCUS 20 (2000) 4-5.
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3-MANIFOLDS AND TOPOLOGY

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